

3.3. Raumgruppen (Forts.) Kristallsysteme, Punktgruppen, Bravaisgittertypen

Kristall-Punkt-Gitter-system gruppekonstanten	Bravaisgittertypen			Blickrichtung	Raumgruppen
	P	C	I		
	x, y, z	x, y, z $x + \frac{1}{2}, y + \frac{1}{2}, z$	x, y, z $x + \frac{1}{2}, y + \frac{1}{2}, z + \frac{1}{2}$		
triklin	[1] $a \neq b \neq c$ [1] $\alpha \neq \beta \neq \gamma \neq 90^\circ$				- - -
mono- klin	[2] $a \neq b \neq c$ m $\alpha = \gamma = 90^\circ$ $2/m$ $\beta \neq 90^\circ$			[010]	- -
ortho- rhom-	[222] $a \neq b \neq c$ $mm2$ $\alpha = \beta = \gamma = 90^\circ$			[100]	[010] [001]
bisch	mmm				
tetra- gonal	[4] $a = b \neq c$ [4] $\alpha = \beta = \gamma = 90^\circ$ $4/m$ [422] $4mm$ $\bar{4}m$ $4/mmm$			[001]	[100] [110] [010] [1\bar{1}0]
tri- gonal	[3] $a = b = c$ [3] $\alpha = \beta = \gamma \neq 90^\circ$ [32] $3m$ $\bar{3}m$				[111] [1\bar{1}0] [01\bar{1}] [0\bar{1}1] [101]
hexa- gonal	[6] $a = b \neq c$ [6] $\alpha = \beta = 90^\circ$ $6/m$ [622] $6mm$ $\bar{6}m$ $6/mmm$			[001]	[100] [110] [010] [120] [1\bar{1}0] [210]
kubisch	[23] $a = b = c$ $m\bar{3}$ $\alpha = \beta = \gamma = 90^\circ$ [432] $\bar{4}3m$ $m\bar{3}m$			[100] [111] [010] [1\bar{1}\bar{1}] [001] [1\bar{1}\bar{1}]	[110] [011] [011] [101] [1\bar{1}0] [1\bar{1}1] [011] [101] [101]